

BENCHMARKING FOUNDATION MODELS FOR UNSUPERVISED DISCOVERY IN LARGE MULTIMODAL ASTROPHYSICAL DATASETS

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VERMEER Johannes – 1668

The Astronomer

Vermeer's *Astronomer* depicts the study of the celestial sphere, reflecting humanity's long-standing fascination with the cosmos

A curiosity that continues to drive modern space missions such as Euclid.



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- AstroPT, AstroCLIP, AION
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- Domain Shift and interpretability
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- Next steps

Motivations

- Many discoveries (quasars, galaxies, exoplanets) came from anomalies
- Euclid = billions of galaxies and stellar objects → rare events lost in “normal” data
- Large variety of rare transient phenomenon
- Challenge: how to detect the unexpected in massive datasets?

Automated methods and
machine learning

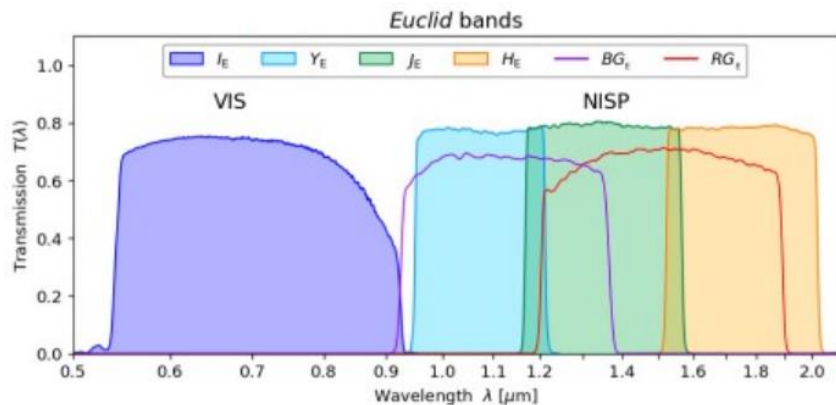


Sample of galaxies observed by Euclid in the Q1 data release.

Source: ESA / Euclid / Euclid Consortium / NASA, “Euclid Galaxy Zoo galaxies to classify” (ESA, 2024), under CC BY-SA 3.0 IGO / ESA Standard Licence.

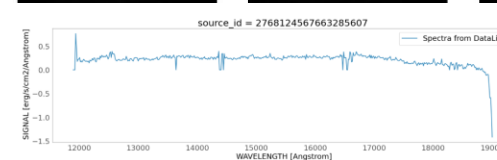
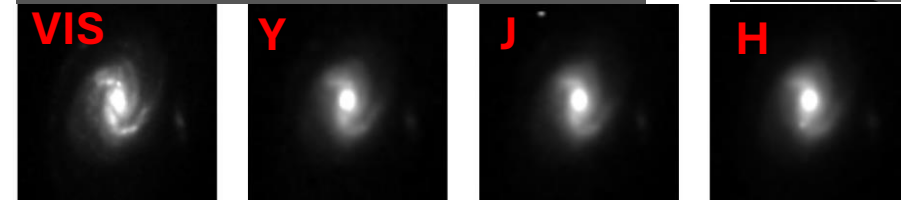
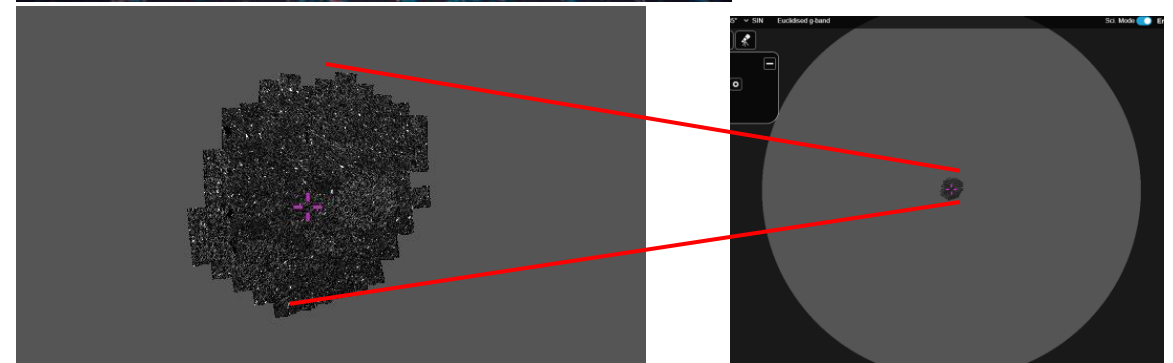
Euclid Mission Overview

- ESA mission (2025) to map the dark Universe (Find Dark Matter Origin)
- Instruments: VIS (optical, 550–900nm) & NISP (NIR, Y-J-H) + Spectroscopy
- Q1 = first public data (63 deg², 30M sources)
- Redshift range* : $z \simeq 0.7$ to $z \simeq 1.8$, up to $z \lesssim 4$ for some specialized studies
- Exposure time: ♦ Photo: 87 s ♦ Spectro: 550 s



18/11/2025

Maxime RONCERAY - Anomaly Detection on Euclid Q1
using foundation models embeddings



* redshift measures how much the Universe has expanded since the light was emitted

Typology of Anomalies

Strong gravitational lenses

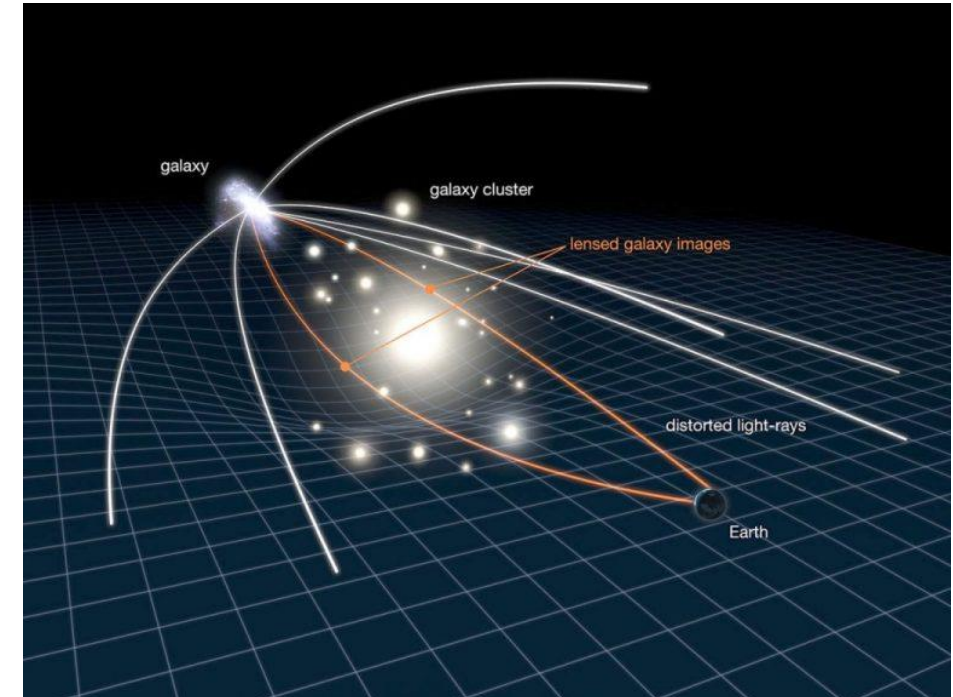
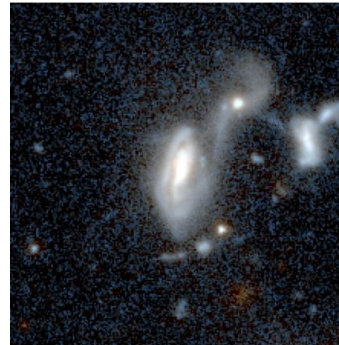
- Multiple images or arcs of a background source caused by massive objects bending light

- Unusual morphologies

- Mergers
- Rings
- jellyfish galaxies
- AGN, Dual-AGN

- Instrumental artefacts

➔ non-physical anomalies but useful calibration set



Why Are Anomalies Important?

Strong gravitational lenses :

- Test general relativity
- Lensing measures *total* mass (including dark matter), independent of light.
- Time delays between multiple images give the *time-delay distance*.
- The *abundance* of strong lenses depends on the halo mass function

$$n(M, z) \propto f(\sigma_8, \Omega_m)$$

- Unusual morphologies :

- understand how galaxies and their central black holes grow, interact, and coevolve across cosmic time.

- Instrumental artefacts

➔ calibrate models and filter them from datasets

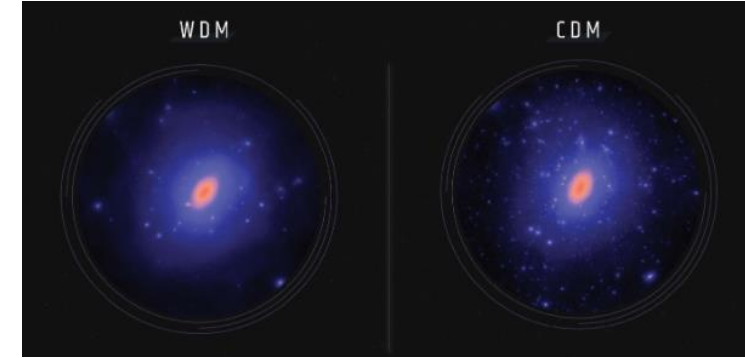


Fig. Simulations of a warm dark matter halo with embedded galaxy (left) vs. a cold dark matter halo version of the same amount of mass in dark and normal matter. (Credit: R. Wechsler adapted from Bullock and Boylan-Kolchin, 2017, based on simulations by V. Robles, T. Kelley, and B. Bozek, et al.)

where

- $n(M, z)$ is the halo mass function at mass M and redshift z
- σ_8 quantifies the amplitude of matter density fluctuations on scales on $8 h^{-1}$ Mpc scales
- Ω_m represents the matter density parameter, describing the fraction of the Universe's total energy density contained in matter (both baryonic and dark)

Anomaly Detection Methods

Classical Anomaly Detection

- Early approaches: Clustering, Isolation Forest
 - Rely on tabular, hand-crafted features
 - *e.g.*: SDSS/WISE outlier detection via SVM & Random Forests

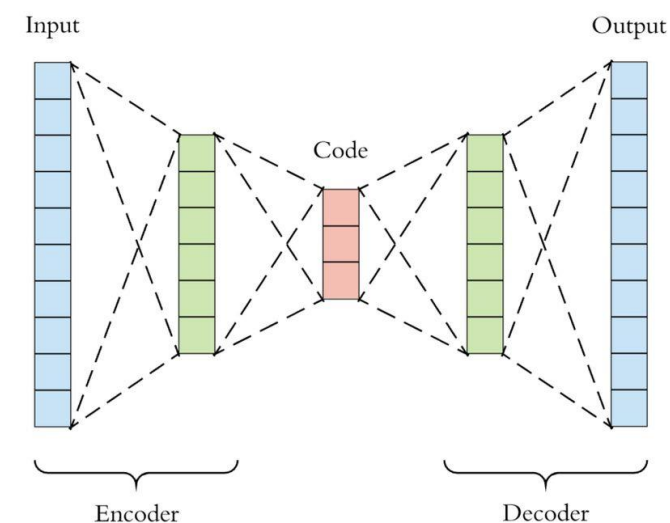
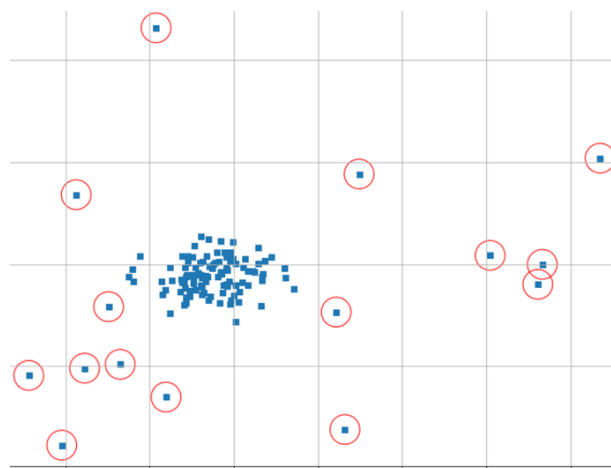
Advanced methods

- Active supervised learning with simulated lenses → partial success, but AGN or lenses recovery is promising
- Probabilistic models (Bayesian Deep Learning / Normalizing Flows)

Idea: learn data manifold
anomalies = low-likelihood region of the learnt distribution

Deep Generative Models

- Learn to reconstruct input → high loss = anomaly
- *e.g.*: AE for galaxy morphologies, lens recovery (Cheng+ 2020)
- Limits: anomalies can be “learned” as inliers

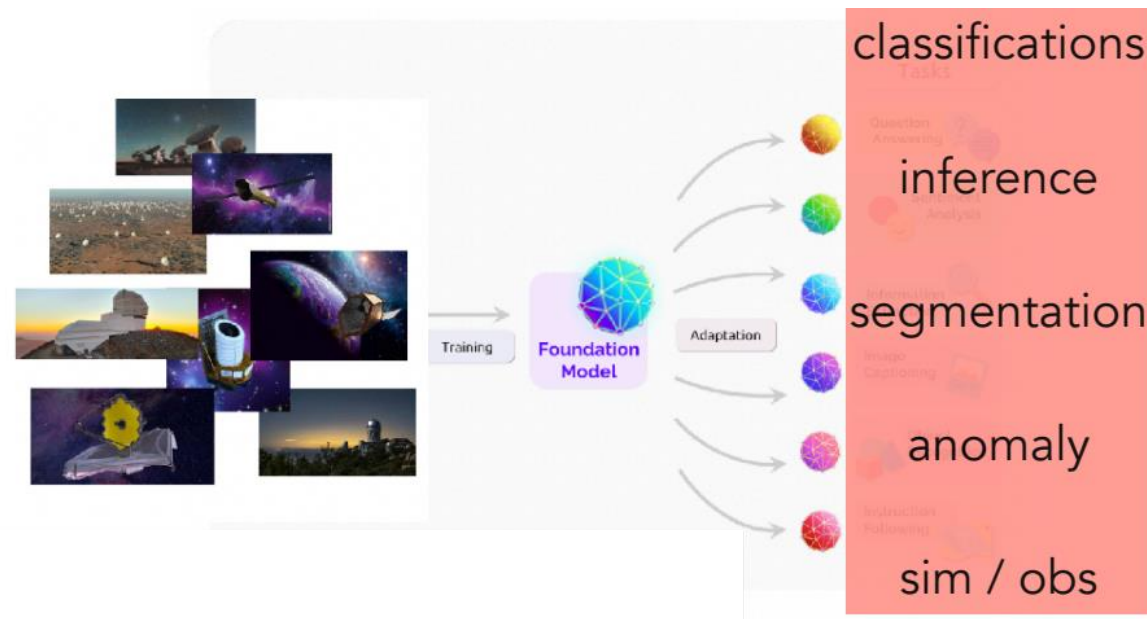
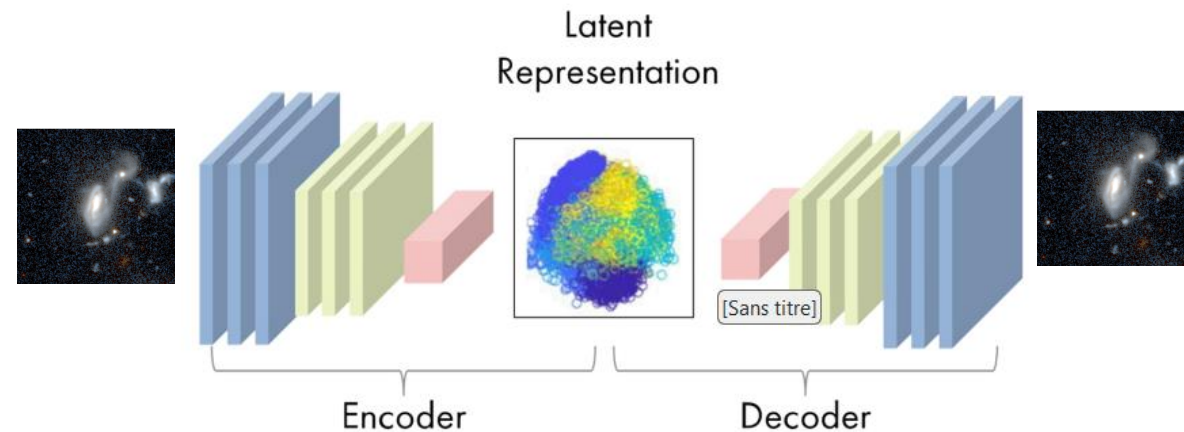


What is a Foundation Model ?

- Large, self-supervised (encoders – decoders) trained on massive datasets
- Learn transferable embeddings (universal representations)
- Allow reuse for many downstream tasks: classification, regression, outlier detection

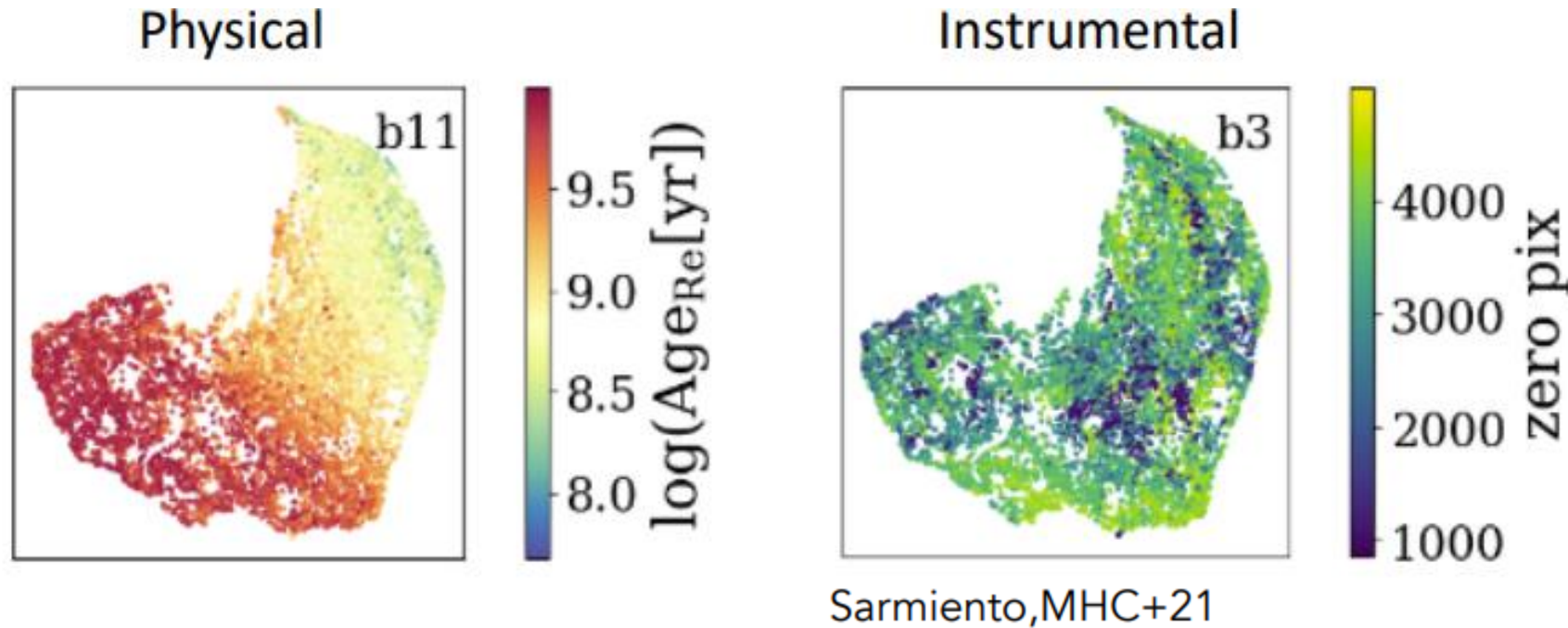
Most of the time : transformers

1. never again train a neural network from scratch
2. no labels required (or very few)
3. integrates all data beyond images
4. very simple analysis tools for downstream tasks



Why Use Embeddings for Discovery ?

- Each galaxy $\rightarrow$ a point in latent space (morphology, SED)
- Enables unsupervised search + few-shot fine-tuning



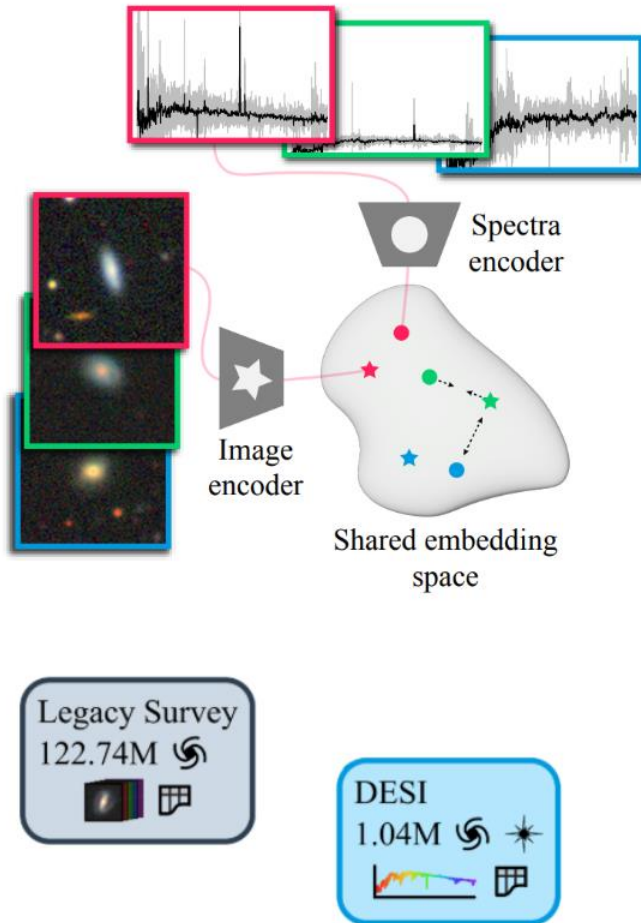
UMAP projection of the embeddings, colored by Age and SnR

Embeddings
encode physics
but not
instrumental
artifacts

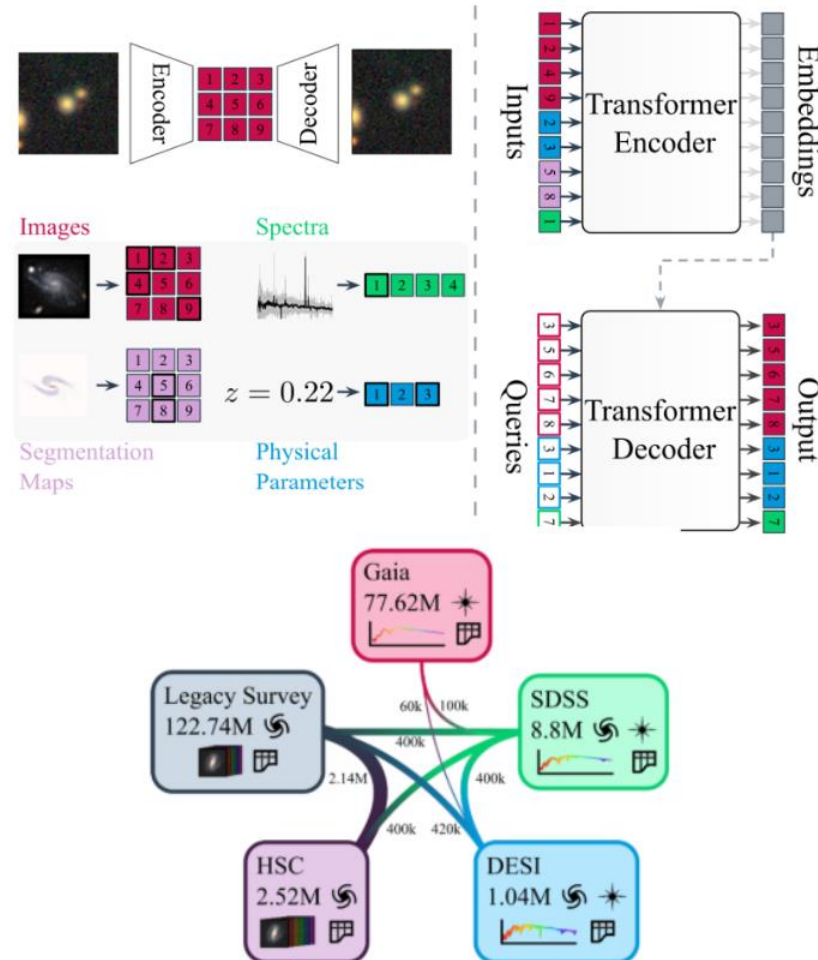
Apply anomaly detection on
foundation models embeddings

Astronomical Foundation Models

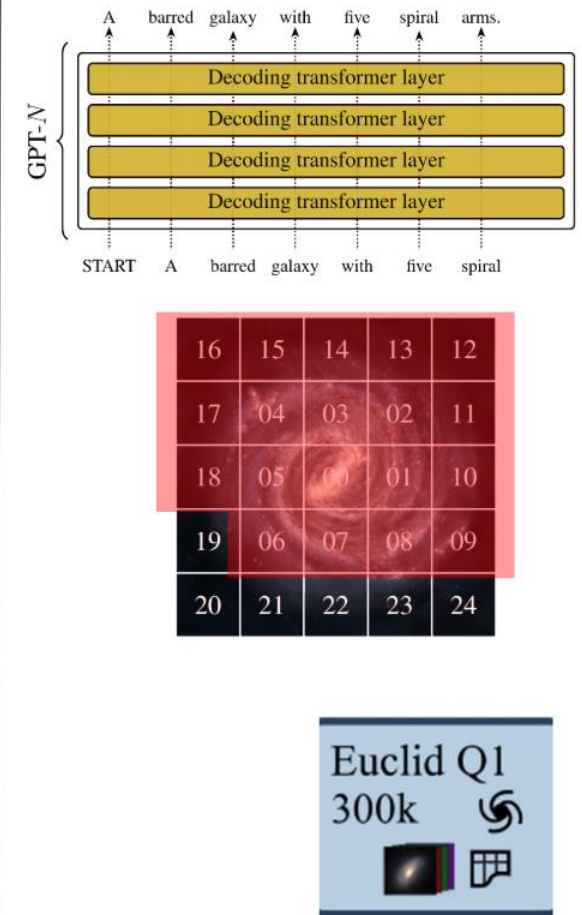
AstroClip



AION



AstroPT

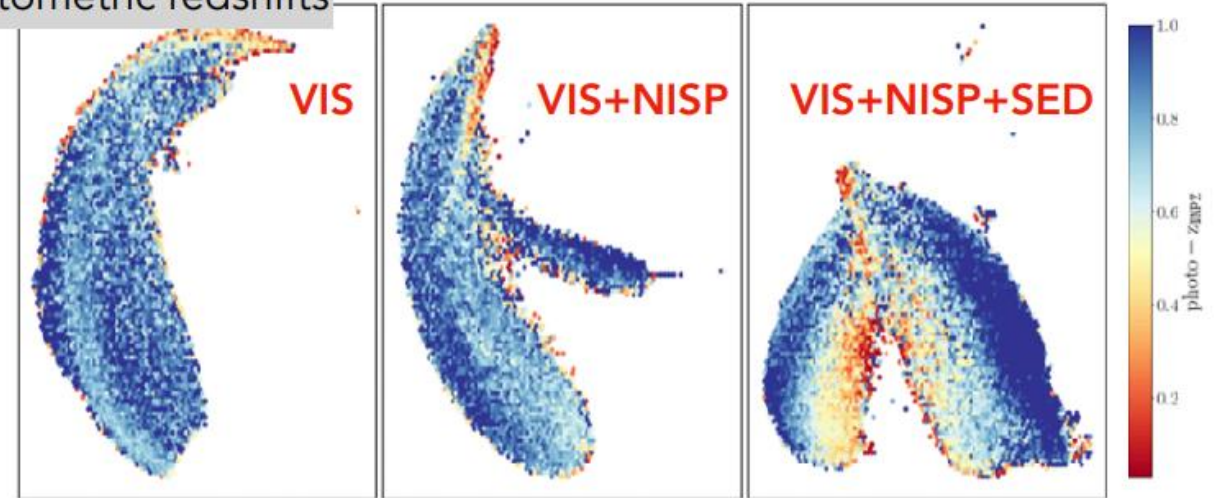


Multimodal Learning : Adding Information

- Some physical parameters are inferred from spectrums (*e.g. redshift*) while some others comes from images (*e.g. morphologies*)

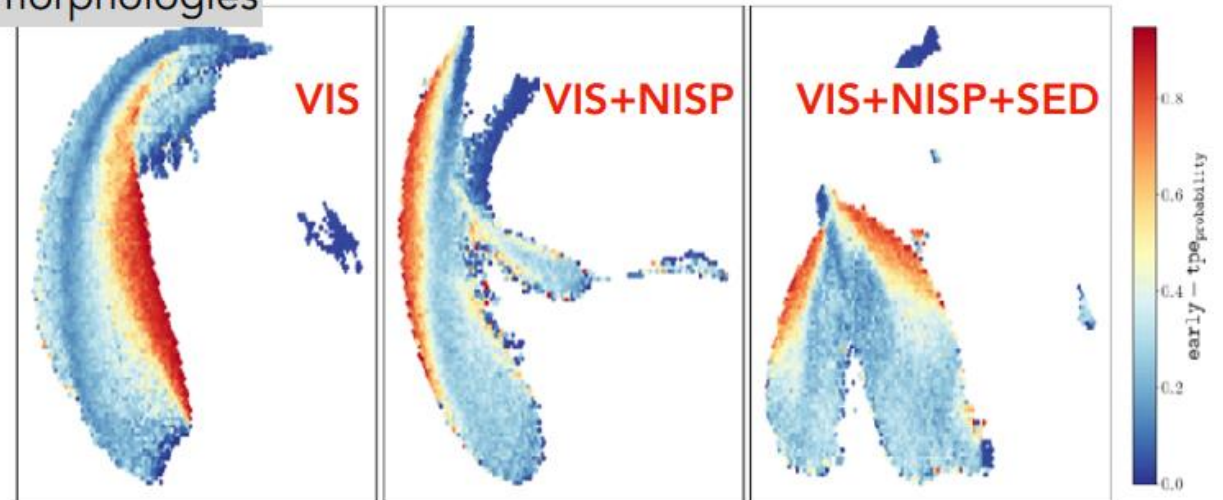
Adding modalities = richer embeddings
→ better downstream performance

photometric redshifts



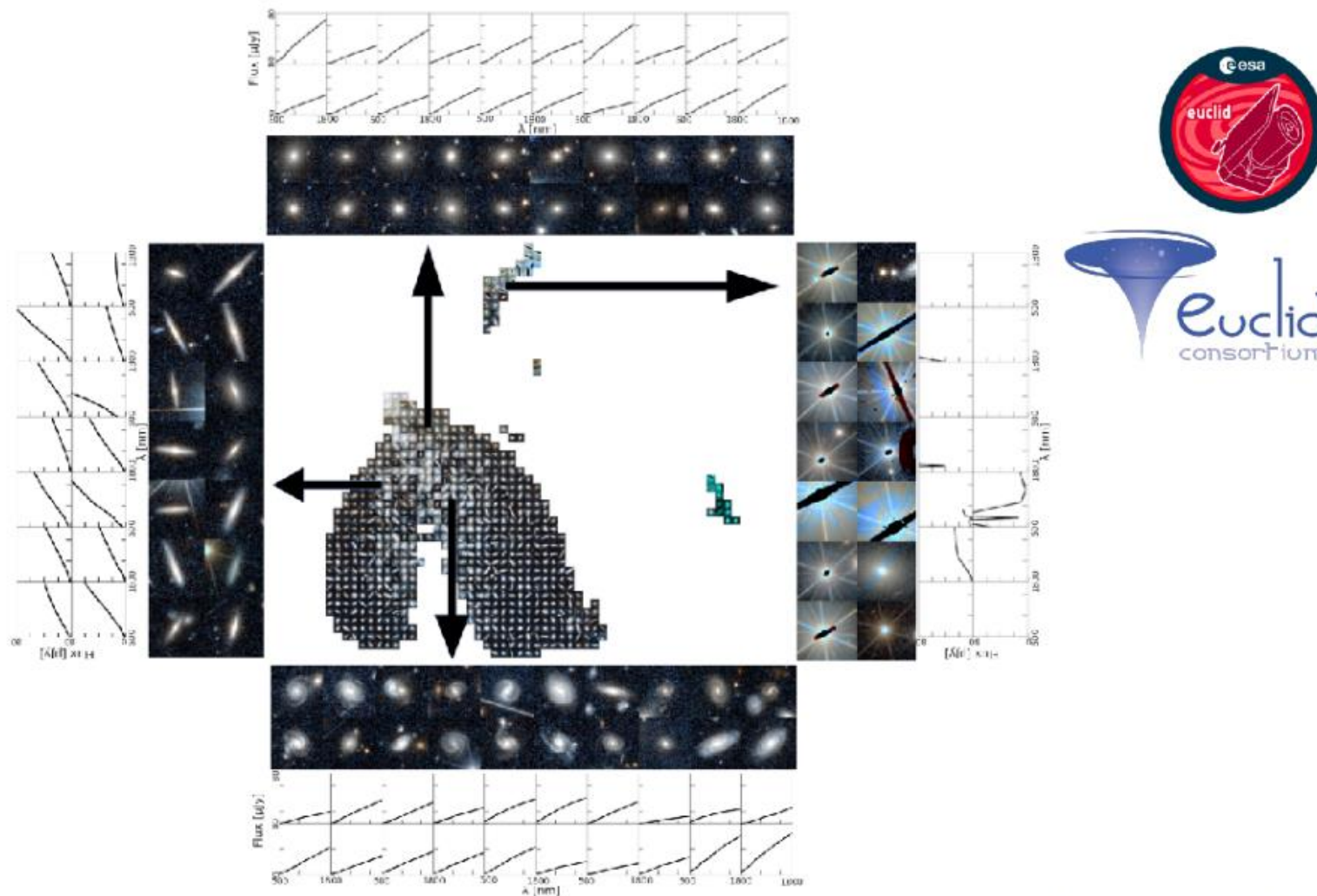
EC: Siudek, MHC+25

morphologies



Concrete Example on Euclid Q1

astro-PT joint embedding of SEDs and images



Current Challenges

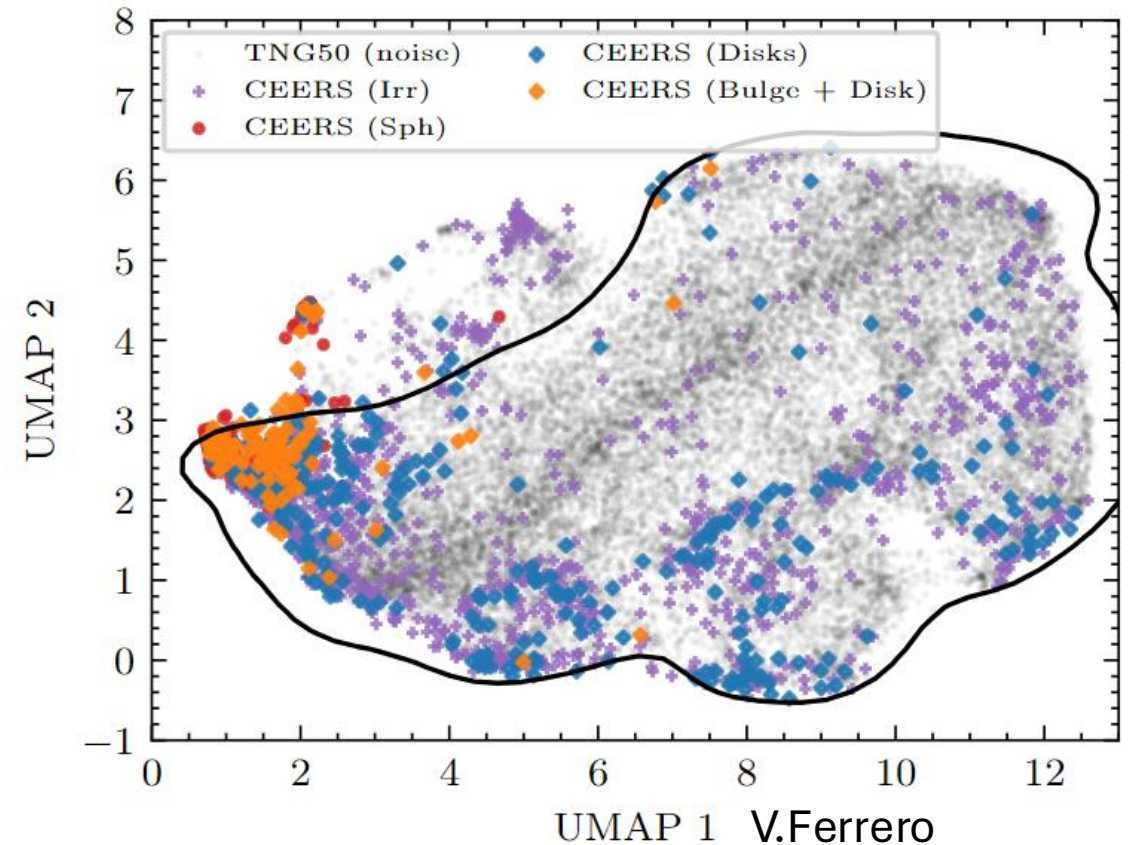
- Domain shifts:

- Simulated vs. Real,
- Euclid vs. other surveys

➔ *Can a foundation model not trained on Euclid still generalize and produce sufficiently good embeddings*

- Interpretability: why is an object flagged as outlier?
=> Models don't classify anomalies

Human validation is essential for final classification and verify anomalies natures



Embeddings are good representation of both simulations and real images ➔ both share same latent space and overlap

Realisation Plan

Use images from Euclid cutouts and crossmatch with DESI

Generate embeddings for 3 multimodal foundation models (astroclip astroPT AION). Spectrum – Images, Spectrum x Images

- For aion maybe fine tune the image encoder (VQ-VAE)
- Test embeddings robustness

Apply anomaly detection methods on embeddings

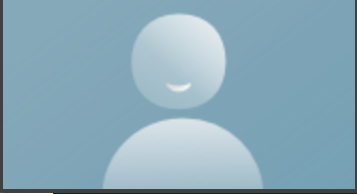
- Isolation forest
- Normalising Flows
- Bayesian Deep learning

Try to understand Anomalies



Thank you
for your
attention.

Any
questions?

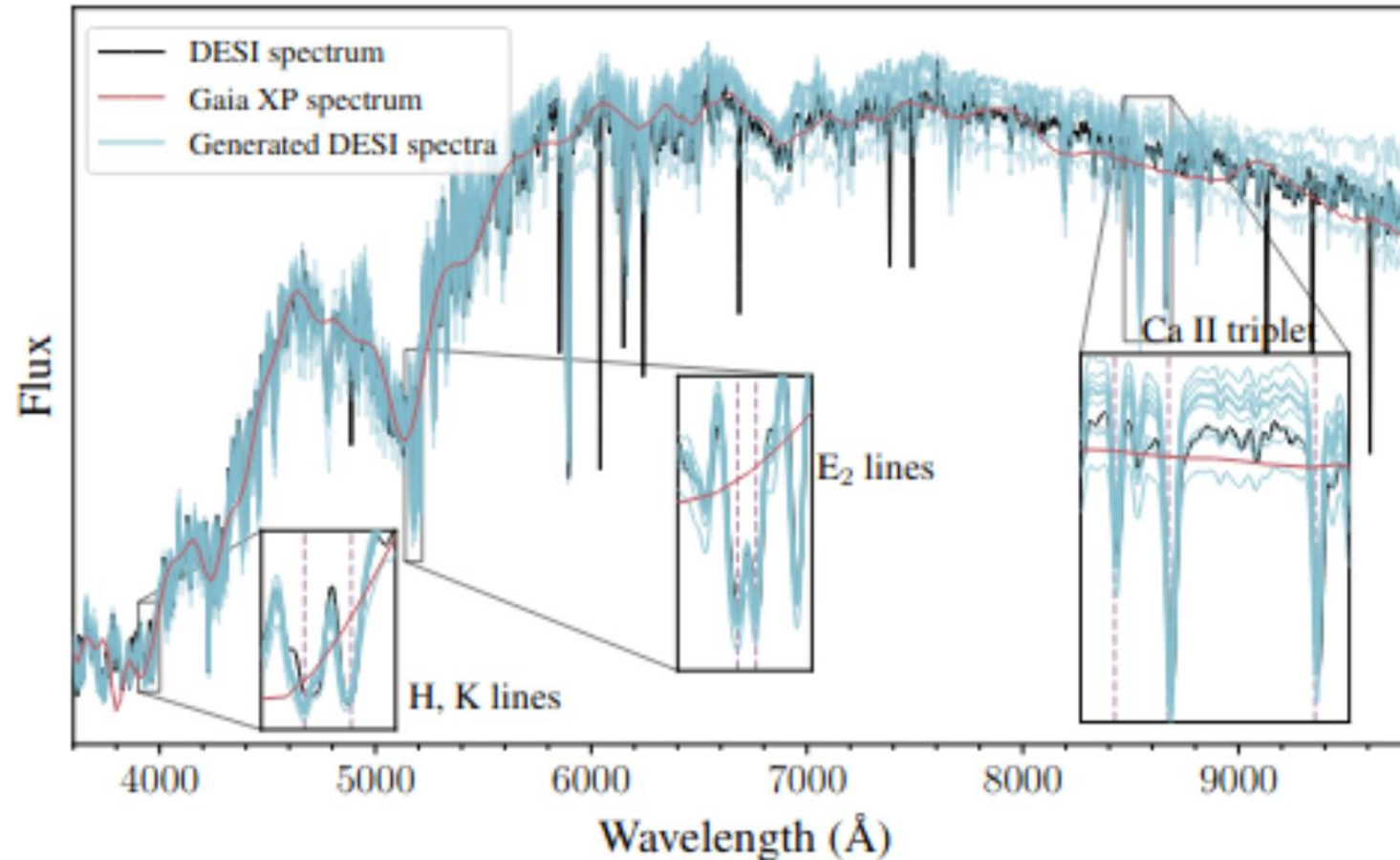


Papers

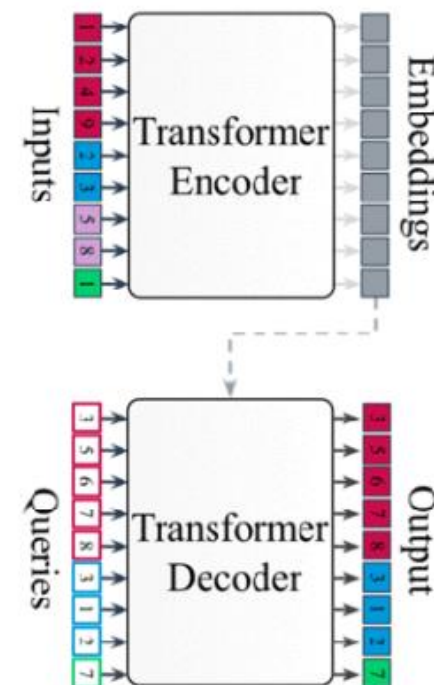
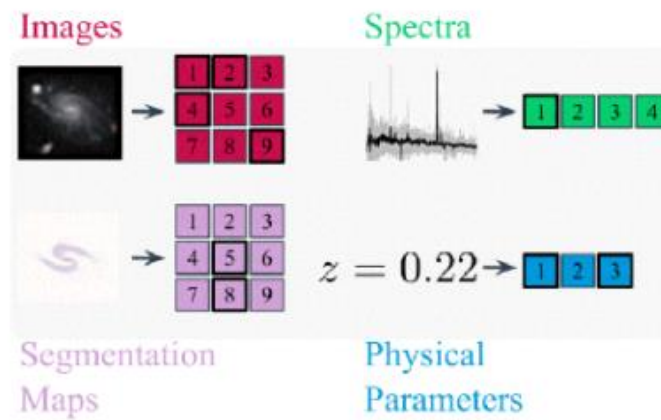
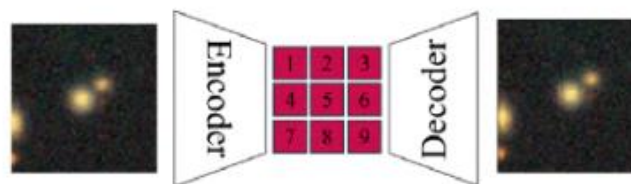
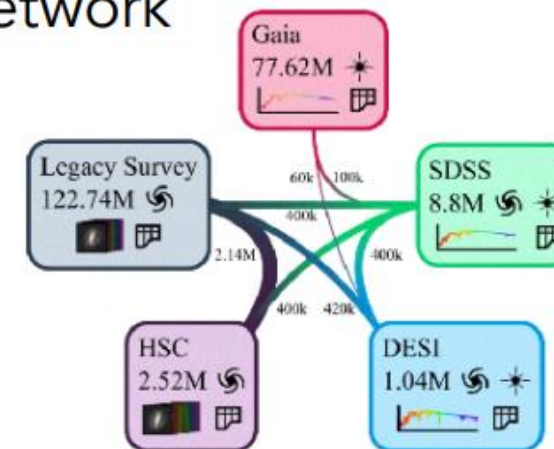
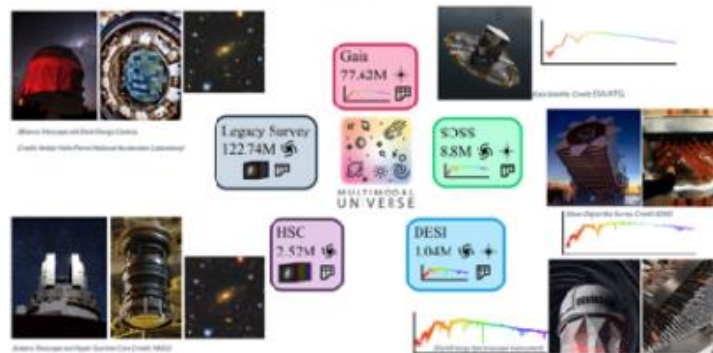
- Dalya Baron. Machine Learning in Astronomy: a practical overview. 2019. arXiv: 1904. 07248 [astro-ph.IM]. url: <https://arxiv.org/abs/1904.07248>.
- Euclid Collaboration et al. Euclid Quick Data Release (Q1) Exploring galaxy properties with a multi-modal foundation model. 2025. arXiv: 2503 . 15312 [astro-ph.GA]. url: <https://arxiv.org/abs/2503.15312>.
- Jing Ren et al. Foundation Models for Anomaly Detection: Vision and Challenges. 2025. arXiv: 2502.06911 [cs.LG]. url: <https://arxiv.org/abs/2502.06911>
- Liam Parker et al. AION-1: Omnimodal Foundation Model for Astronomical Sciences. 2025. arXiv: 2510.17960 [astro-ph.IM]. url: <https://arxiv.org/abs/2510.17960>.
- Berta Margalef-Bentabol et al. “Detecting outliers in astronomical images with deep generative networks”. In: Monthly Notices of the Royal Astronomical Society 496.2 (June 2020), pp. 2346–2361. issn: 1365-2966. doi: 10 . 1093 / mnras / staa1647. url: [http : //dx.doi.org/10.1093/mnras/staa1647](http://dx.doi.org/10.1093/mnras/staa1647).

Multimodal Dream

Cross modality : the dream



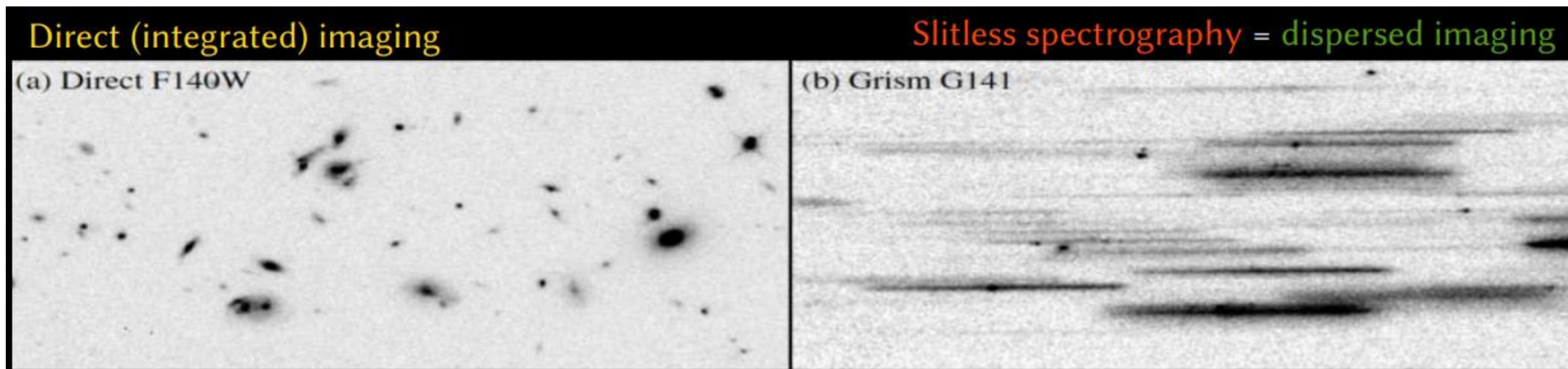
AION-1: Astronomical **Omnimodal** Network (*polymathic team)



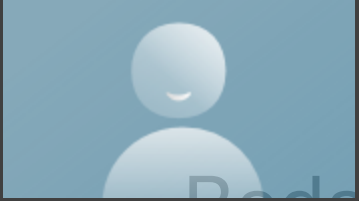


Spectrums example

SLITSLESS SIR euclid → Low quality
spectrums



Spectrum from DESI and crossmatch



Redshift scale

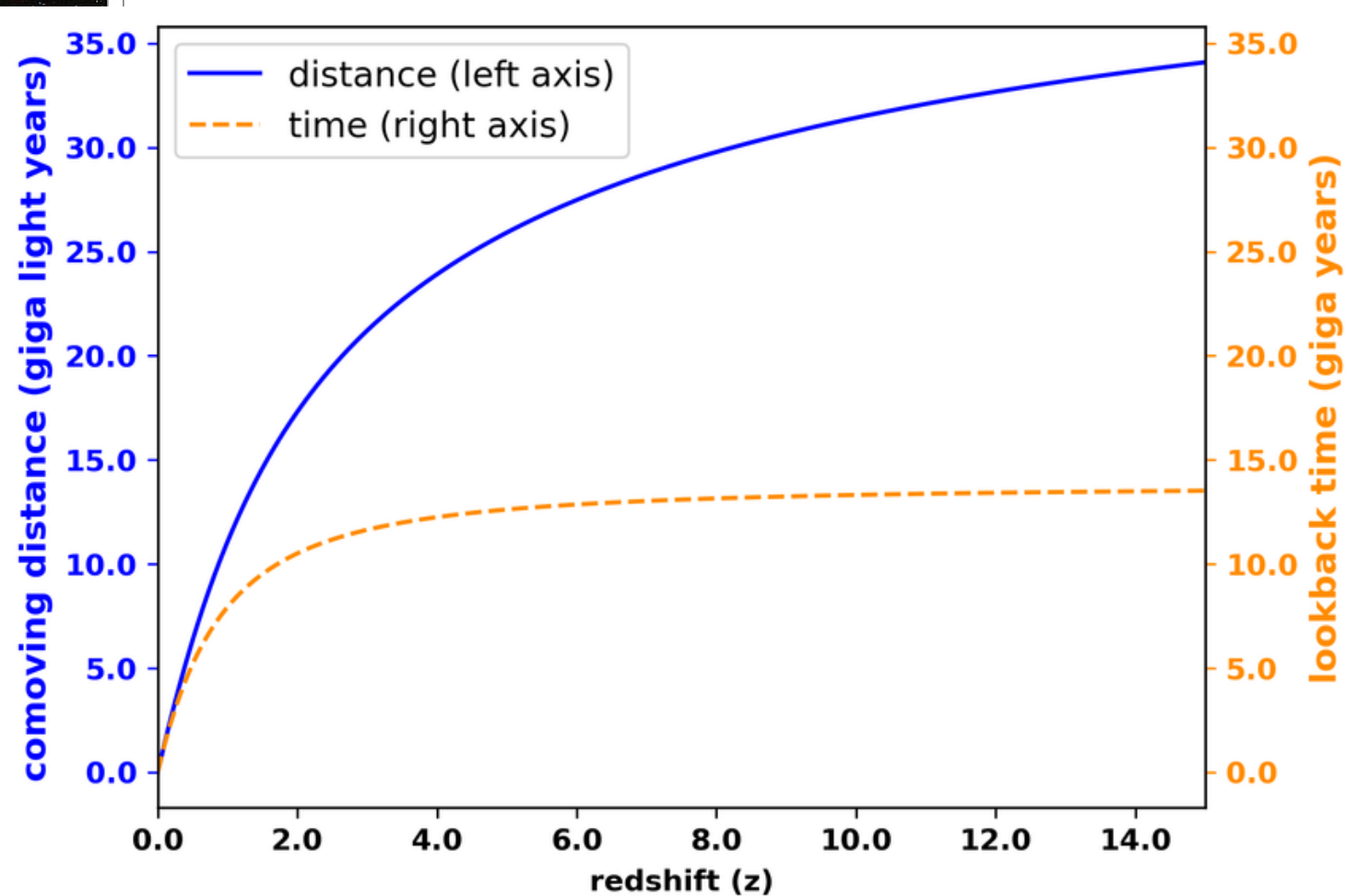
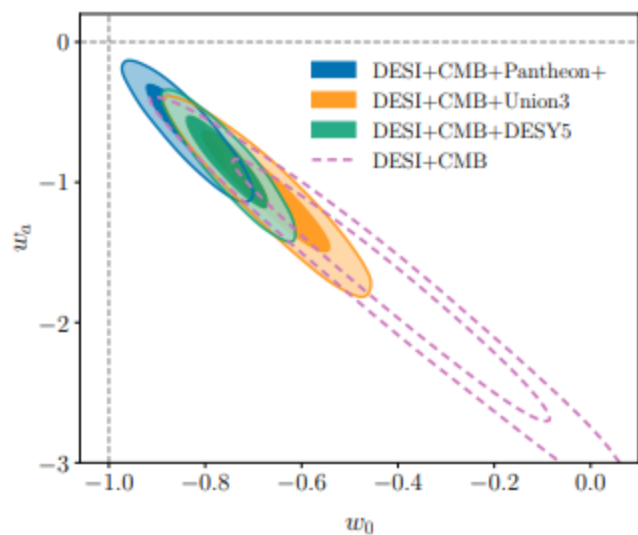
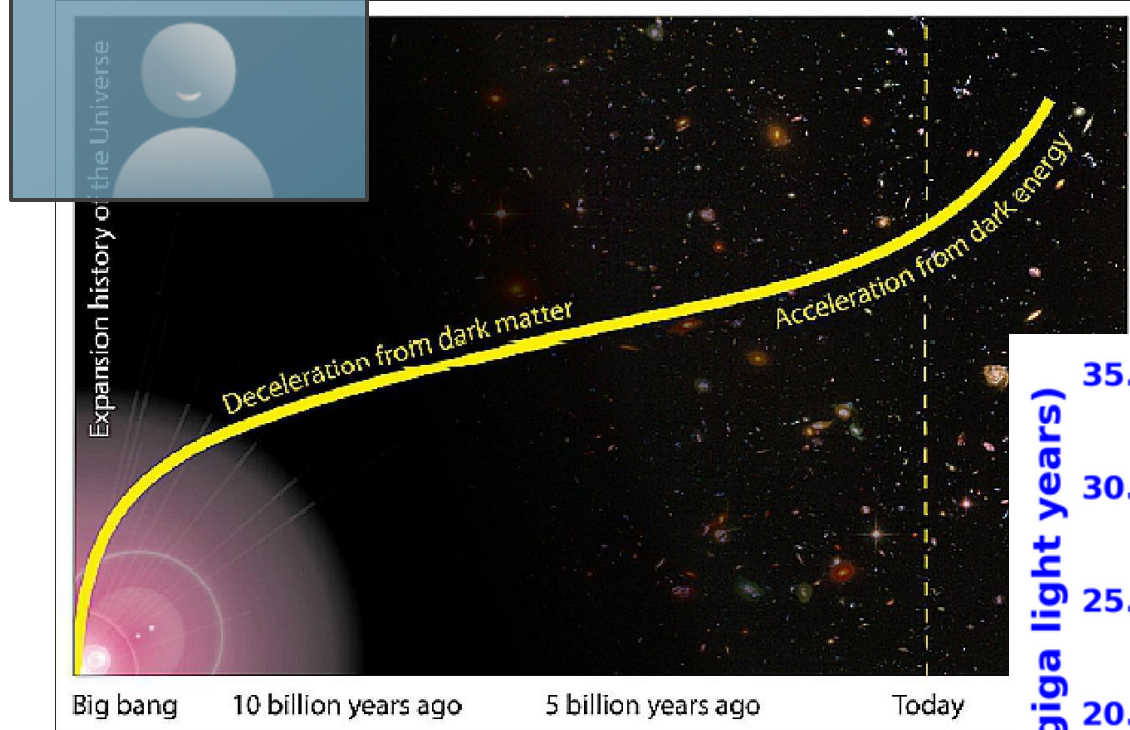
$Z = 1000 = \text{CMB} = 380\,000 \text{ yo}$

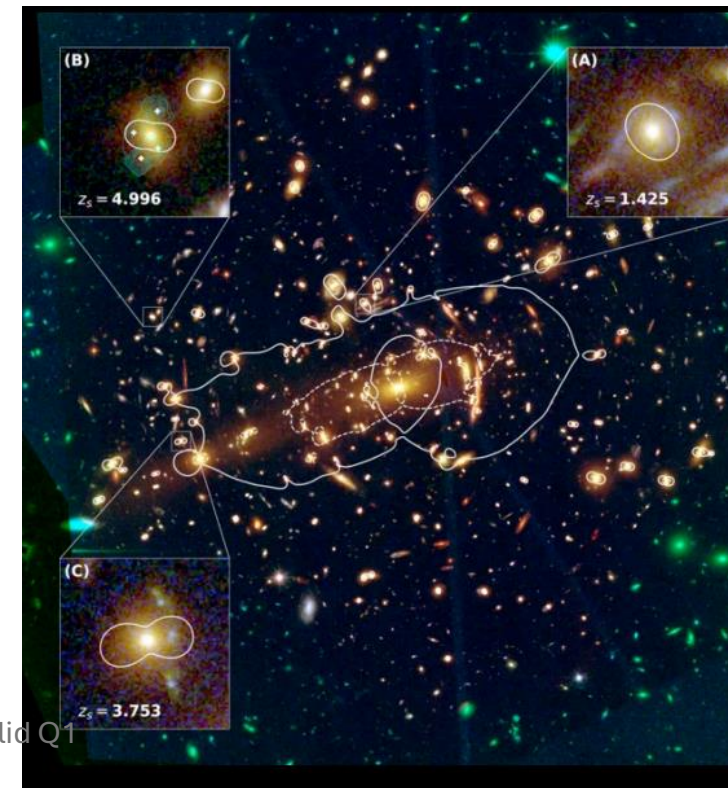
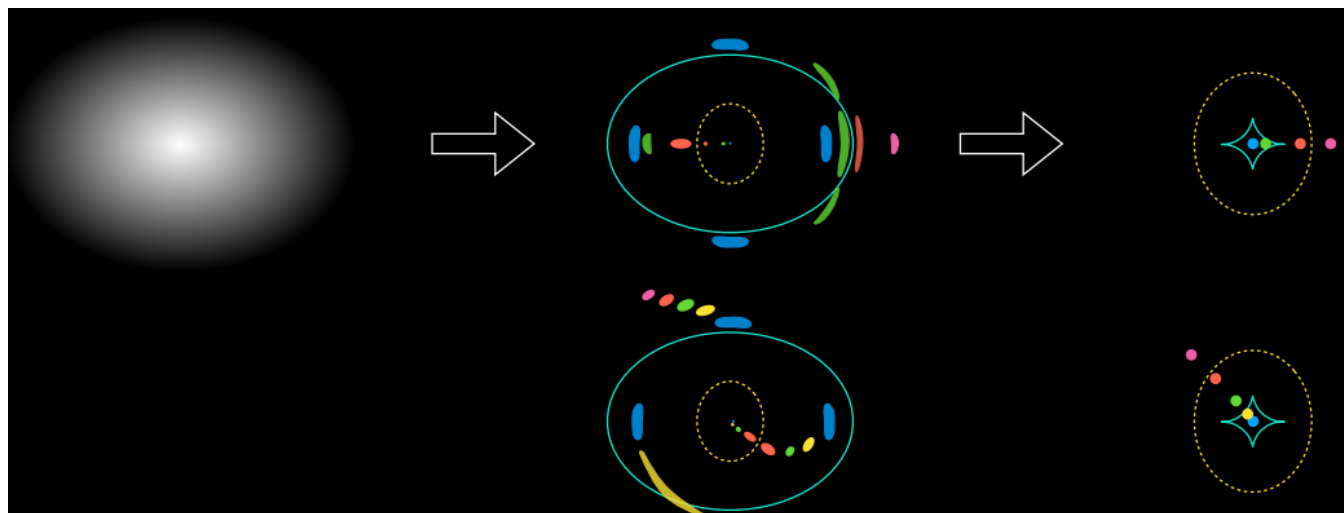
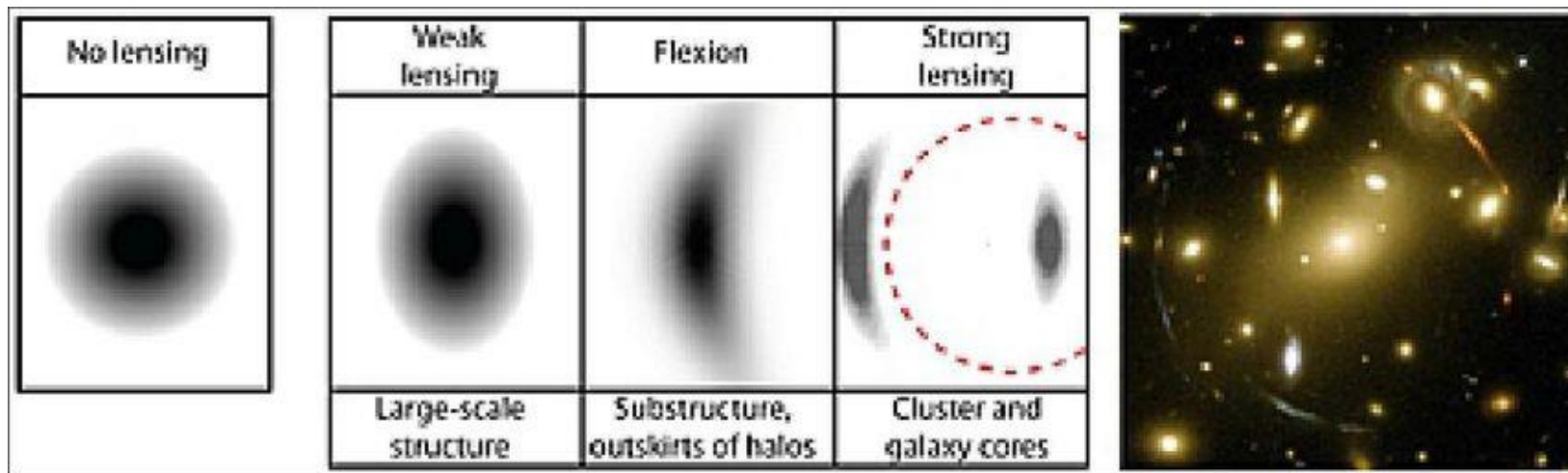
$Z = 13 = 320 \text{ Million year after Big Bang}$

$z \approx \mathbf{5 - 7}$, universe was only 5% of its
actual size

$z \approx \mathbf{0,0036}$ light coming from 55million
year

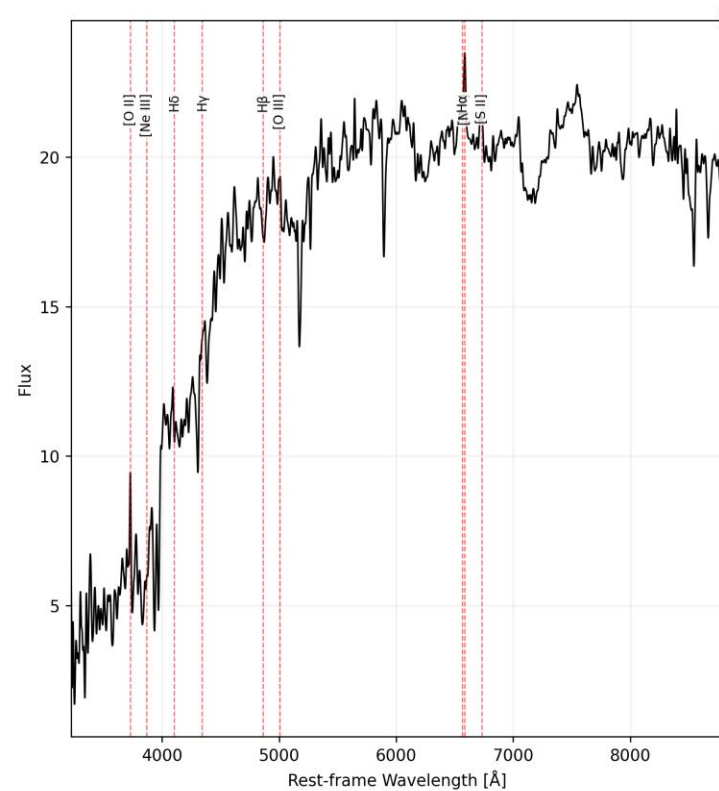
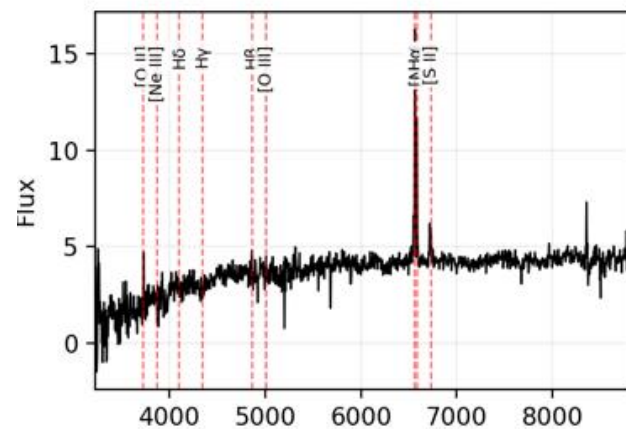
$$1 + z = \frac{a(t_0)}{a(t_{\text{émission}})}$$





First results

2667128432657198680 ($z=0.116$)



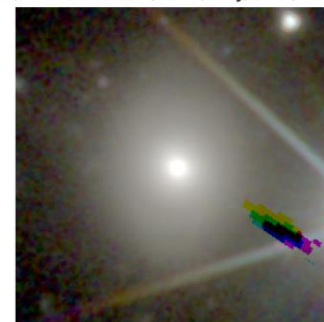
RGB (object 2663877401663730426)



NIR-Y



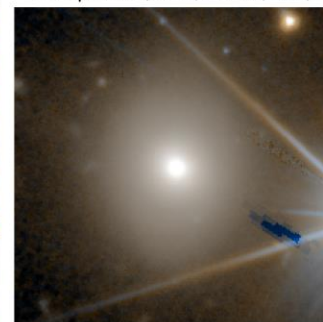
NISP RGB (R=H,G=J,B=Y)



NIR-J



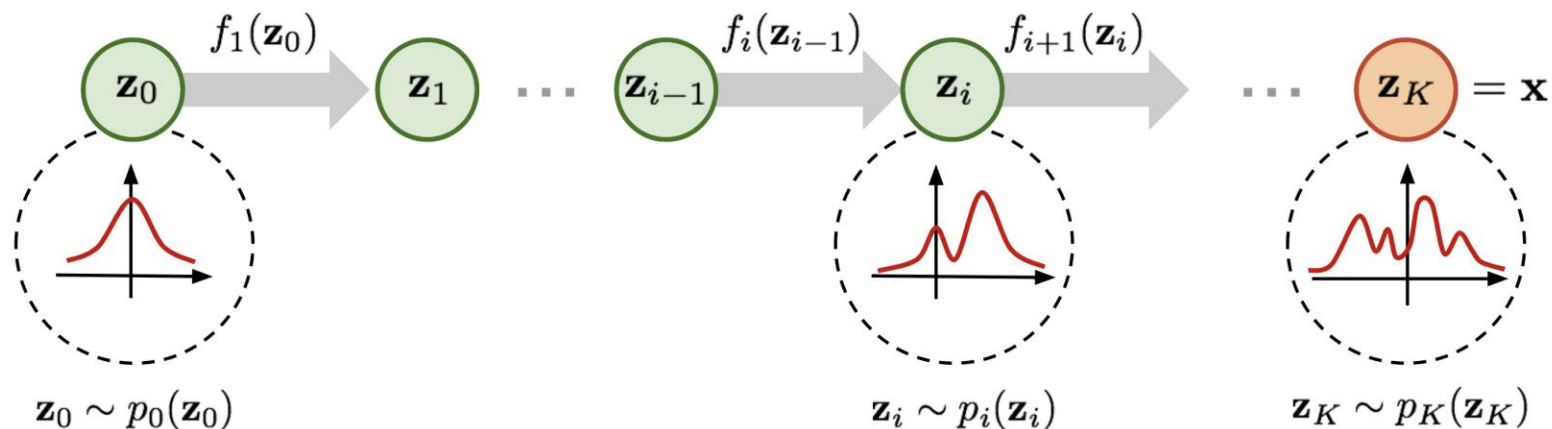
Composite (NISP, mean, VIS)



NIR-H

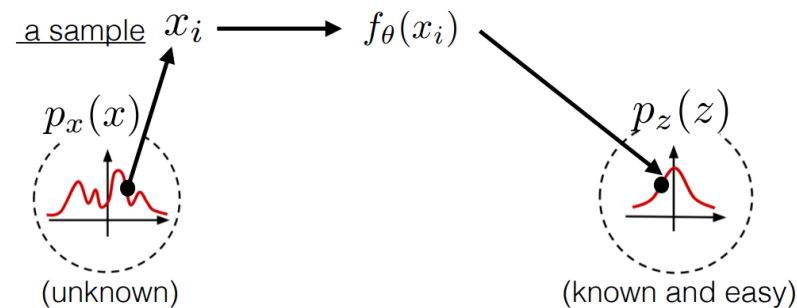


Normalizing Flows



$$p_X(x) = p_Z(f(x)) |\det J_f(x)|, \quad J_f(x) = \frac{\partial f(x)}{\partial x^\top}$$

$\downarrow$ unknown pdf
 $\downarrow$ Invertible differentiable function $z \sim \mathcal{N}(0, 1)$
 $\downarrow$ Determinant of the Jacobian of $f(x)$
 tractable pdf (typically Gaussian)



$z_i = f_i(z_{i-1})$ are **invertible** and **differentiable** transformations

$f = f_1 \circ f_2 \dots \circ f_{k-1} \circ f_k$ is also invertible and differentiable



Bayesian Deep learning

$$\text{posterior} = \frac{\text{likelihood} * \text{prior}}{\text{evidence}}, \text{ or } p(w|\mathcal{D}) = \frac{p(\mathcal{D}|w)p(w)}{p(\mathcal{D})}$$

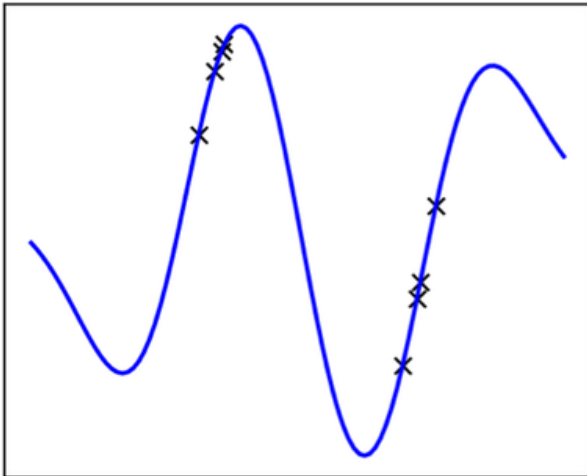
$$\text{evidence} = p(\mathcal{D}) = \int p(\mathcal{D}|w)p(w)dw$$

1 - Probabilize and sample weight Space

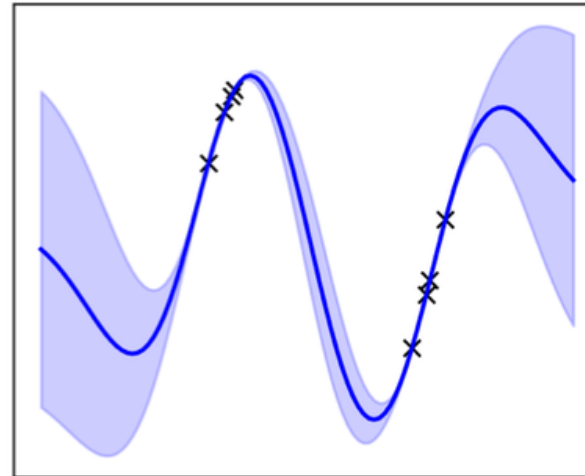
Or

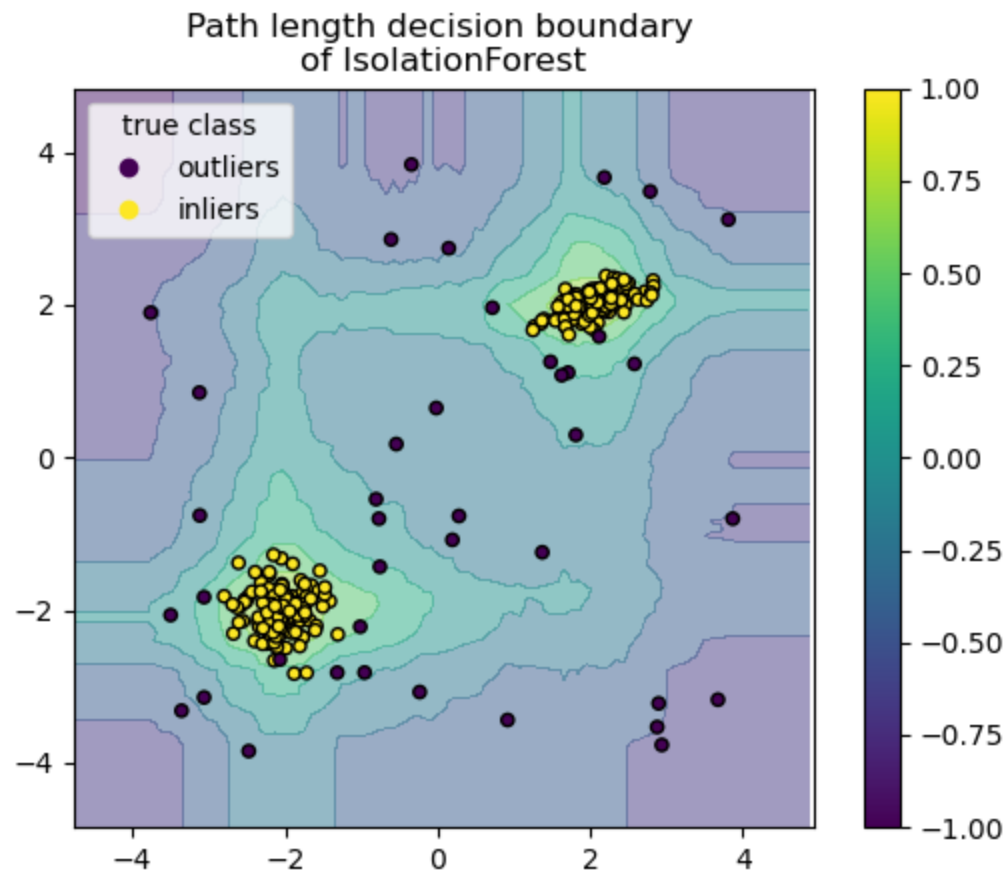
2 – Predict mu and sigma for each points and compute full gaussian likelihood

Prediction without uncertainty



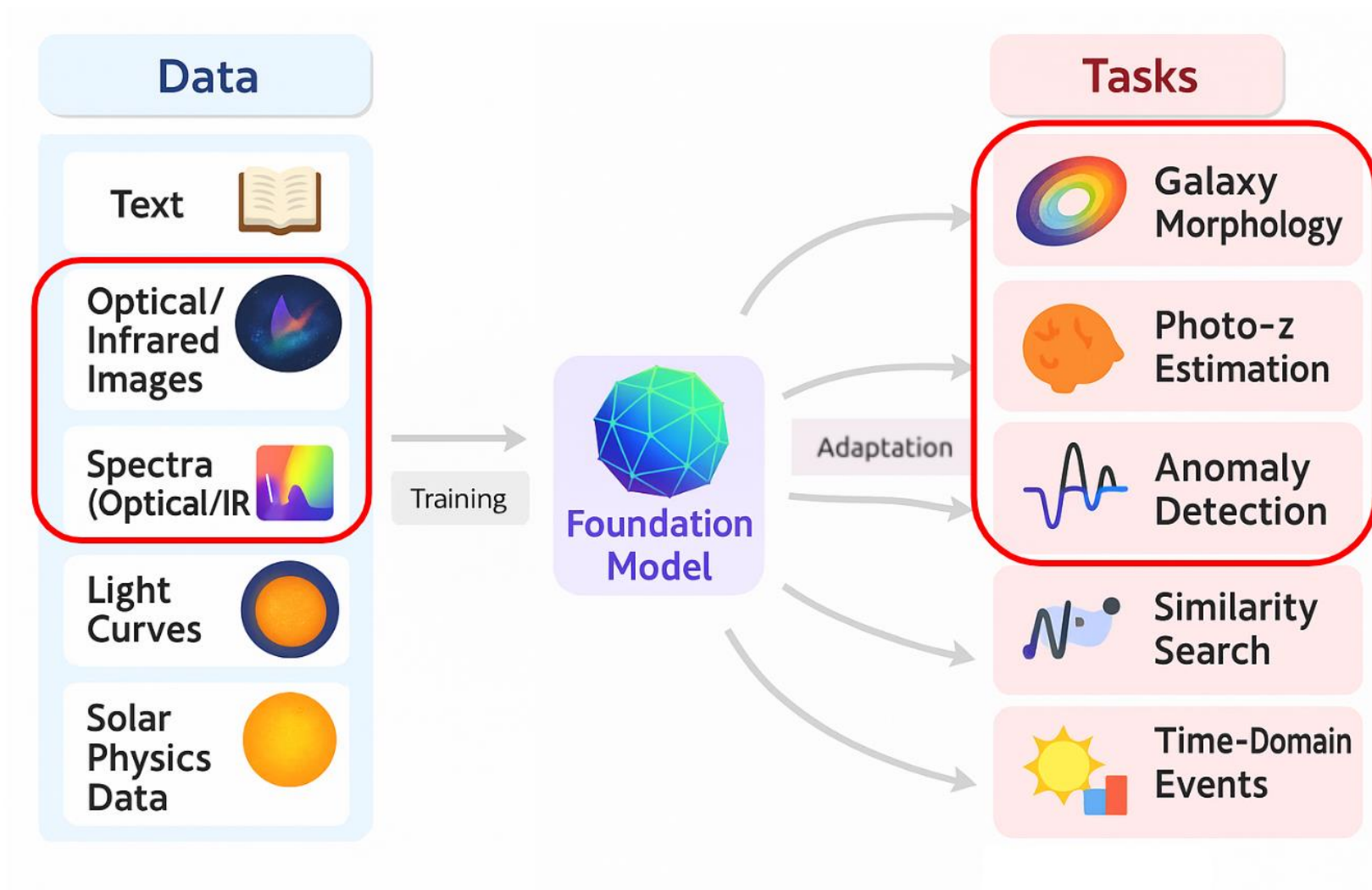
Prediction with uncertainty

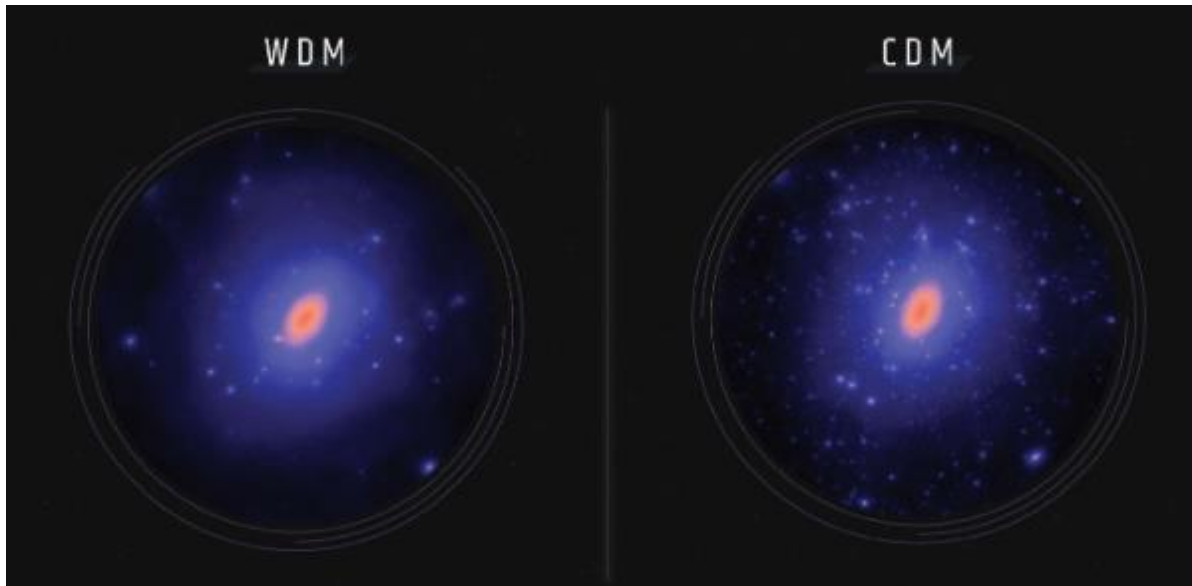




- It isolates observations by recursively splitting the feature space with random thresholds, creating random “isolation trees.”
- Outliers tend to be isolated in fewer splits because they lie in sparse, atypical regions of the data space.
- Inliers require more splits to isolate, as they are embedded in dense, common regions.
- The average path length across many trees becomes an anomaly score, with shorter paths indicating stronger anomalies.

Astronomical Foundation Models





$$D_{\Delta t} = (1 + z_l) \frac{D_l D_s}{D_{ls}}$$

where

- z_l is the lens redshift,
- D_l the angular diameter distance to the lens,
- D_s the distance to the source, and
- D_{ls} the distance between lens and source.
- $D_{\Delta t}$ is the **time-delay distance**, which depends on the cosmological parameters H_0 , Ω_m , and Ω_Λ .

Sersic index

